# Introduction to Incoherent Scatter Radar - Part 3

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With credit and thanks to Anja Strømme, Craig Heinselmann, Phil Erickson, Bill Rideout, Josh Semeter, Juha Vierinen

And my advisor: William E. Gordon

#### Incoherent Scatter Radar

- Radar
- Scatter
- Incoherent lon Line

#### Definition of Incoherent

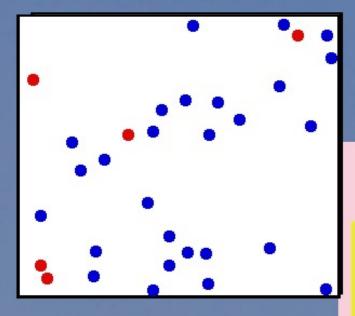
- Property of being coherent
- Antonym: incoherent
- Incoherent=Random
- Example: The drunk man made no sense. He was incoherent.
- In radar: Incoherent scatter is the process by which radio waves are randomly scattered by electrons in the ionosphere

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Incoherent scatter is neither incoherent nor incomprehensible

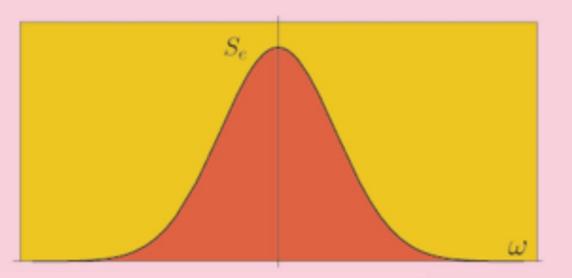
### For TRUE incoherent scatter...



#### no collective interactions

$$S_e(\mathbf{k},\omega) = N_e \left| 1 - \frac{\chi_e(\mathbf{k},\omega)}{\epsilon(\mathbf{k},\omega)} \right|^2 \int d\mathbf{v} f_e(\mathbf{v}) \delta(\omega - \mathbf{k} \cdot \mathbf{v}) + N_i \left| \frac{\chi_e(\mathbf{k},\omega)}{\epsilon(\mathbf{k},\omega)} \right|^2 \int d\mathbf{v} f_i(\mathbf{v}) \delta(\omega - \mathbf{k} \cdot \mathbf{v})$$

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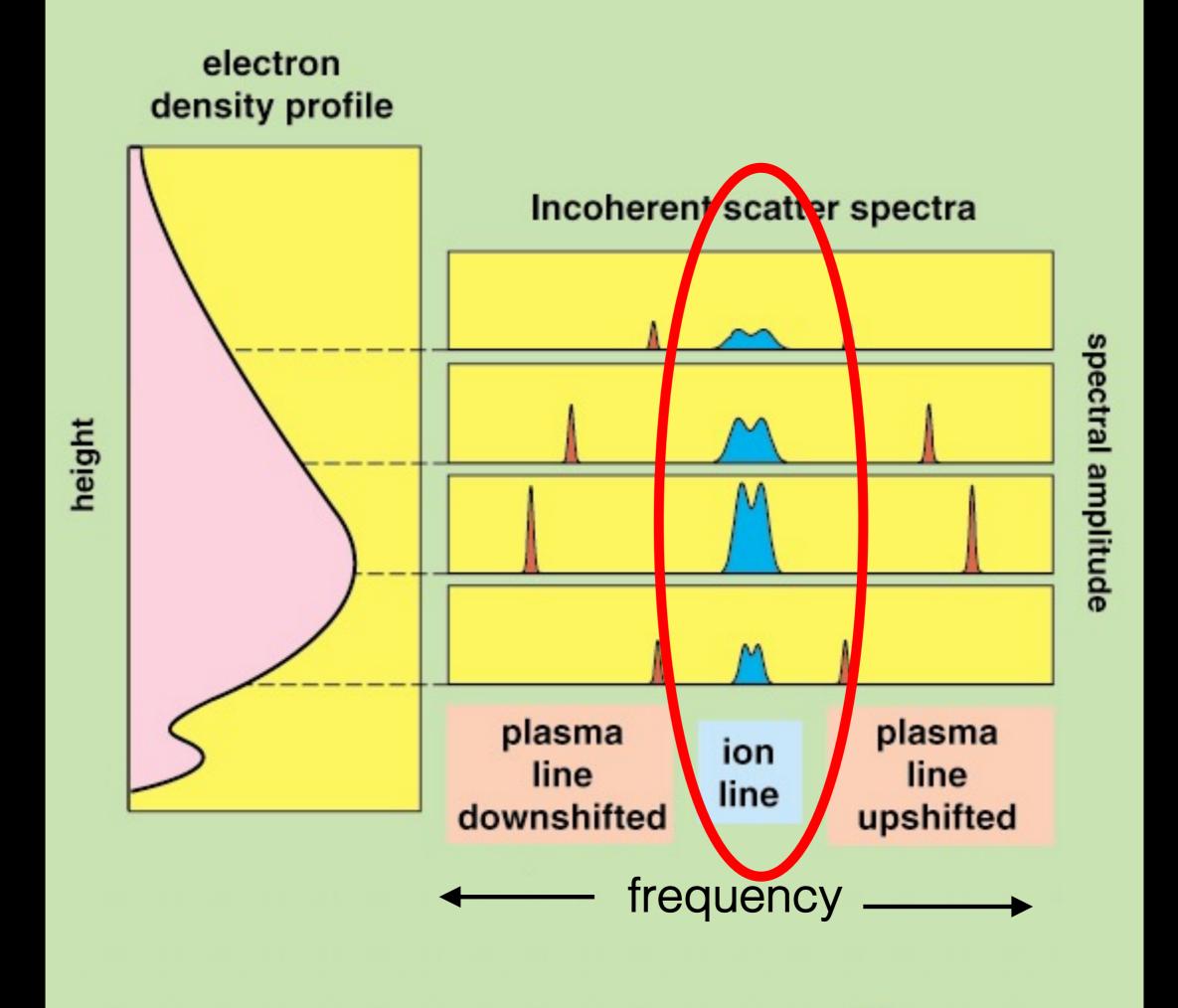


• We only see scattering from the electrons ...but they also tell the story about the ion dynamics...

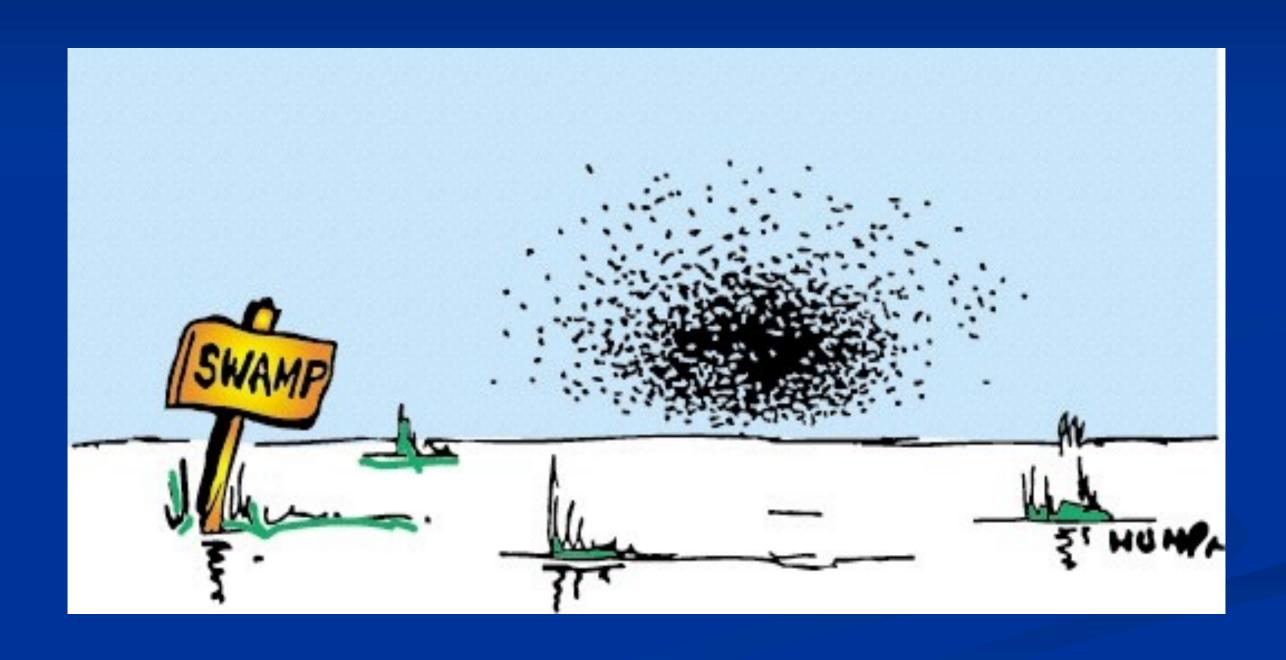
#### Collective behavior

 There are a number of wave modes existing inherently in the ionospheric plasma

- Ion acoustic waves
  Langmuir waves (plasma frequency)
- Debye Spheres (Debye length)
- Landau Damping .....



#### Incoherent scattering: the short story



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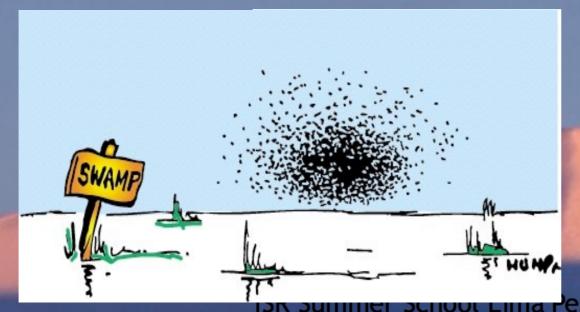
## Debye length dependence

 $\lambda_{radar} \propto 1/k_{radar}$ 

Ion

Electron cloud

Debye length  $\lambda_D$ 



$$(\lambda_{\rm D}/\lambda_{\rm radar})^2$$
 < 1

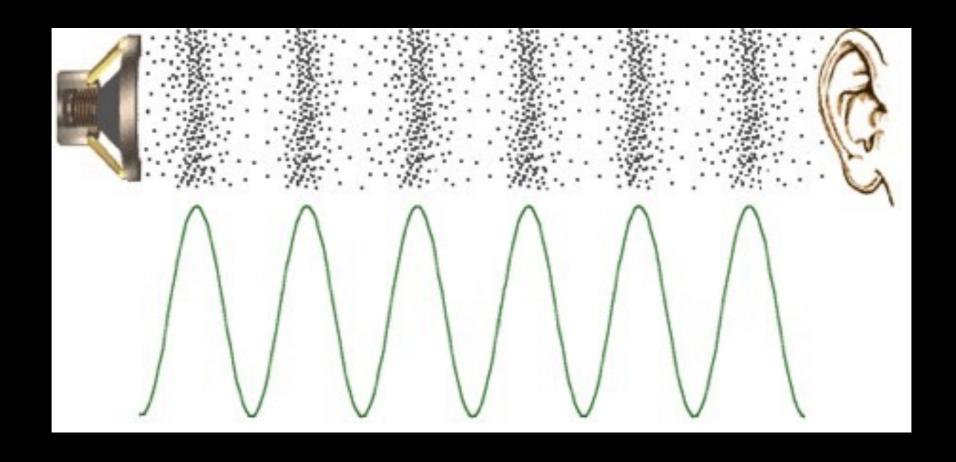
- $(k_{radar} \lambda_D)^2$  < 1
- Collective interactions

# The ionospheric ions acts as slooow pacers for the electron gas

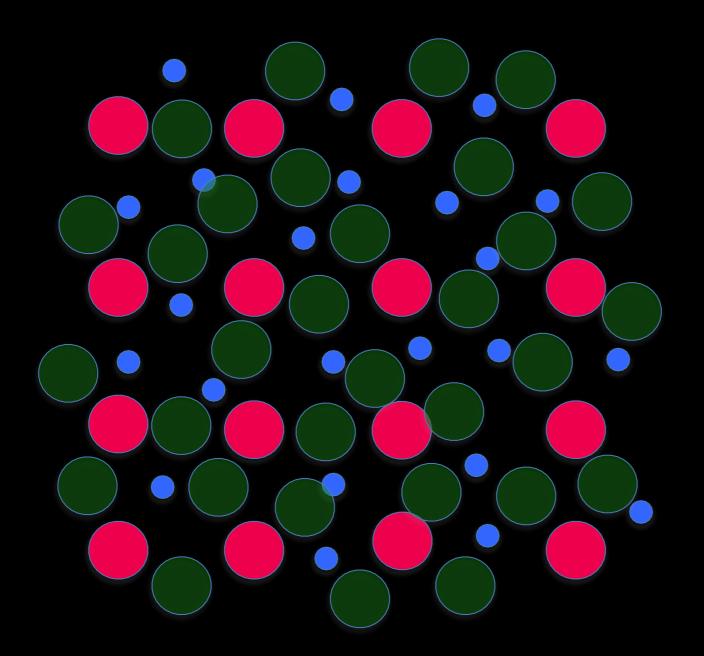
ions

electrons

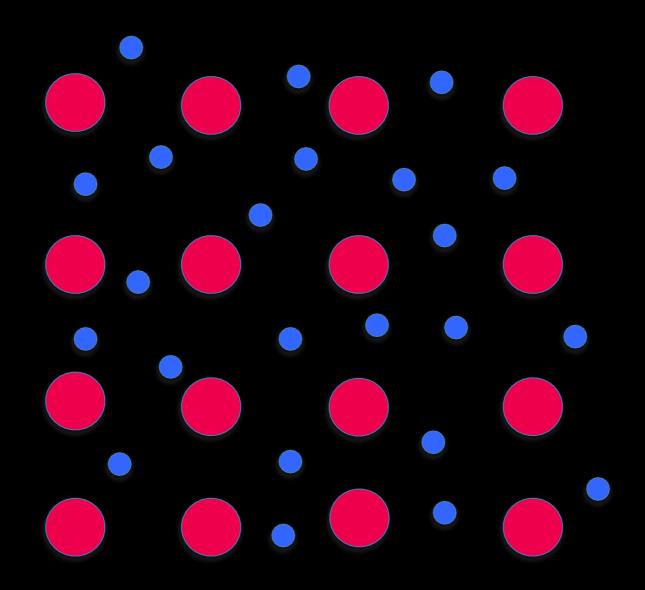
### Ion Acoustic Waves



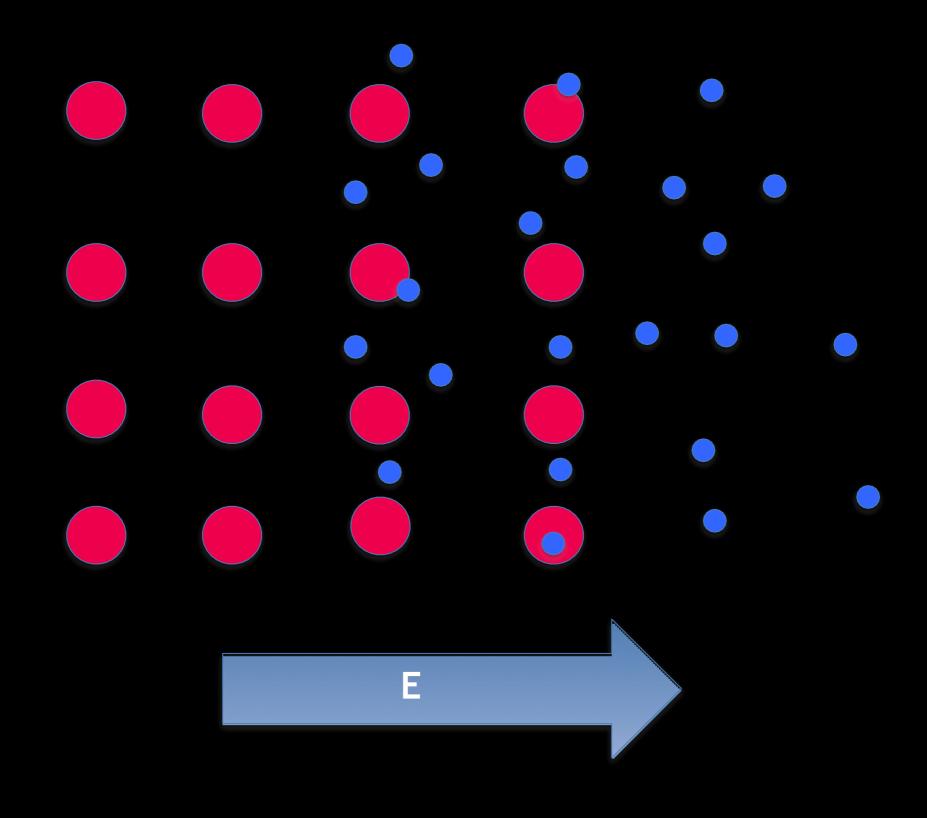
"Pressure" waves in the ion density



- Neutrals
- Positive Ions
- Electrons

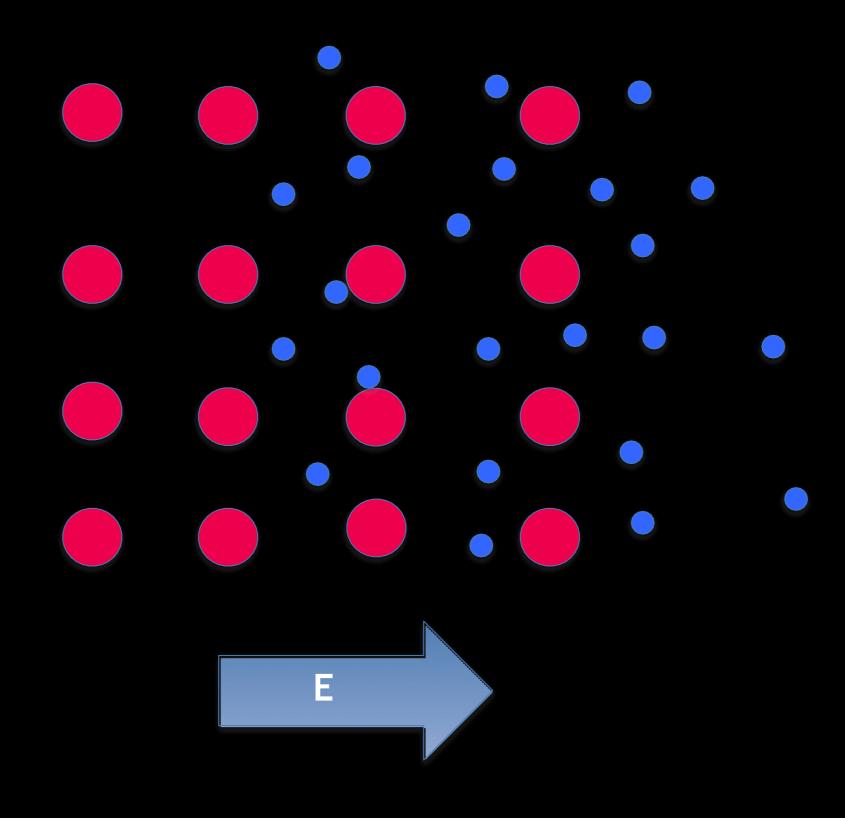


- Positive Ions
- Electrons

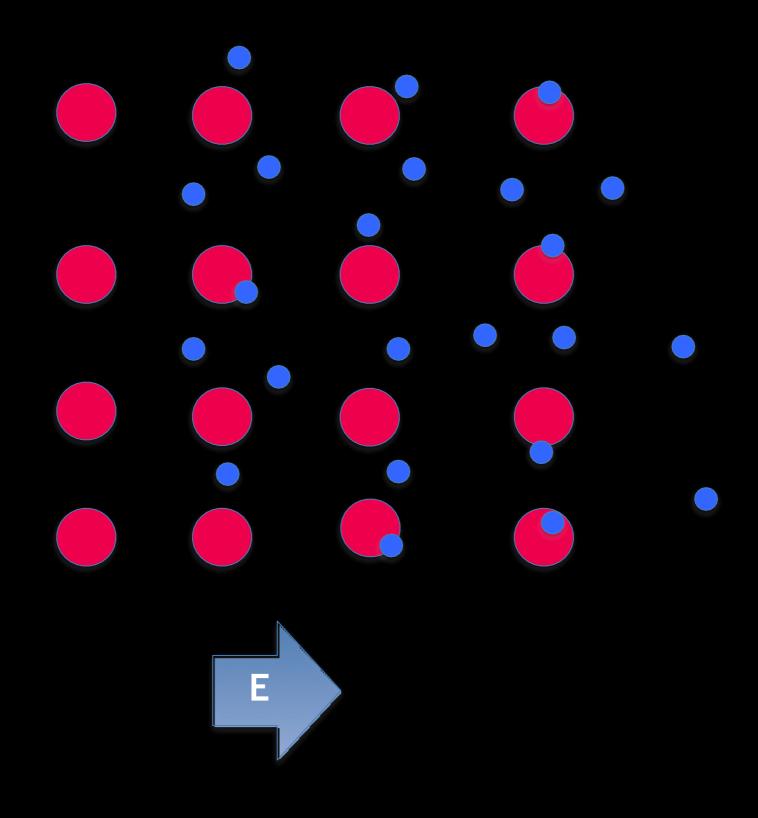


Positive Ions

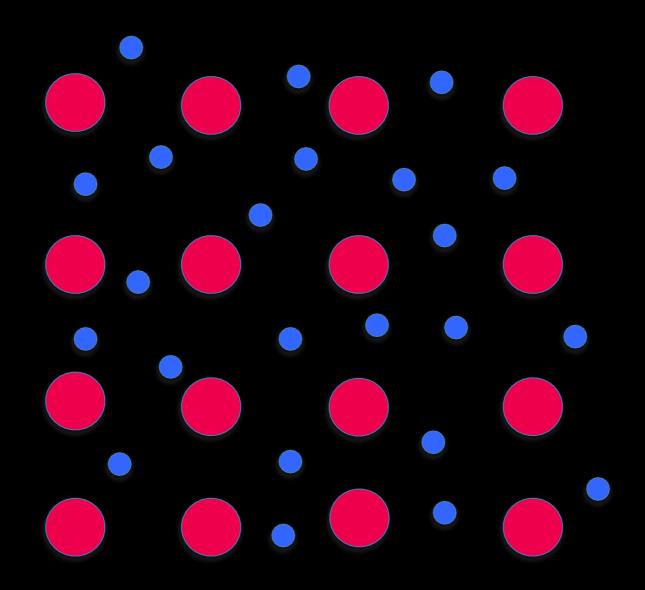
Electrons



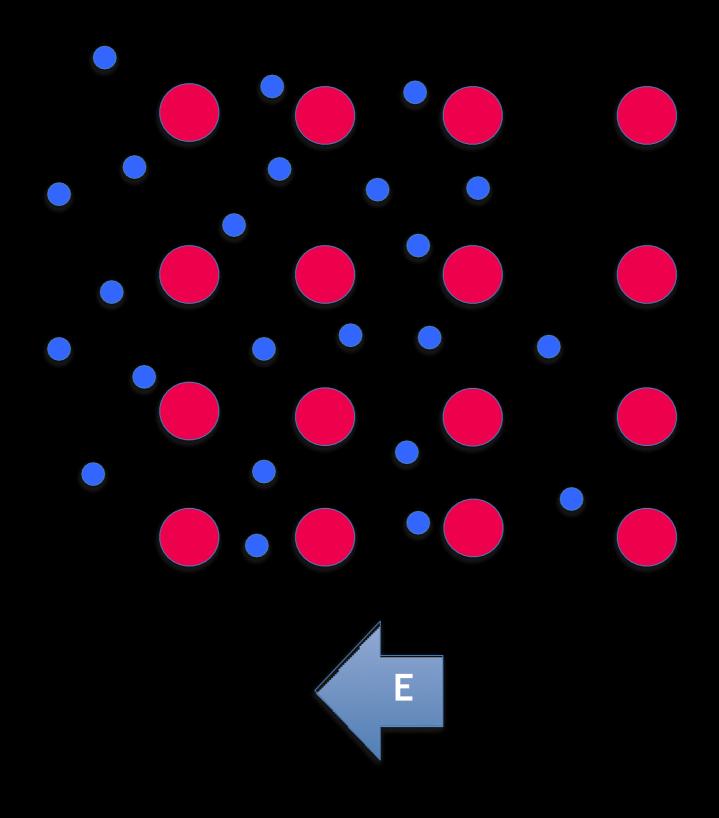
- Positive Ions
- Electrons



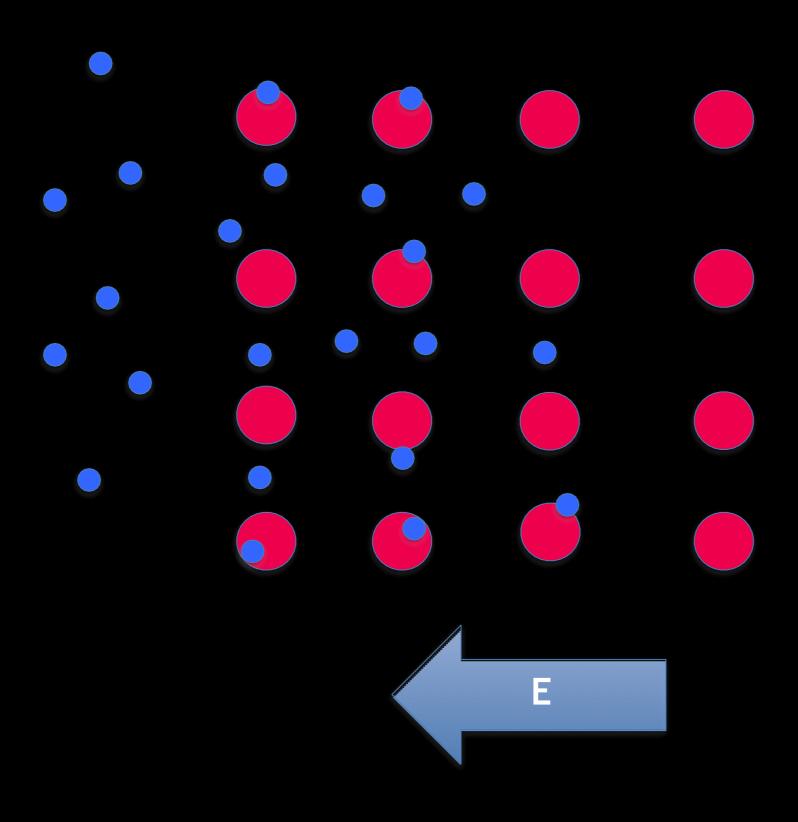
- Positive Ions
- Electrons



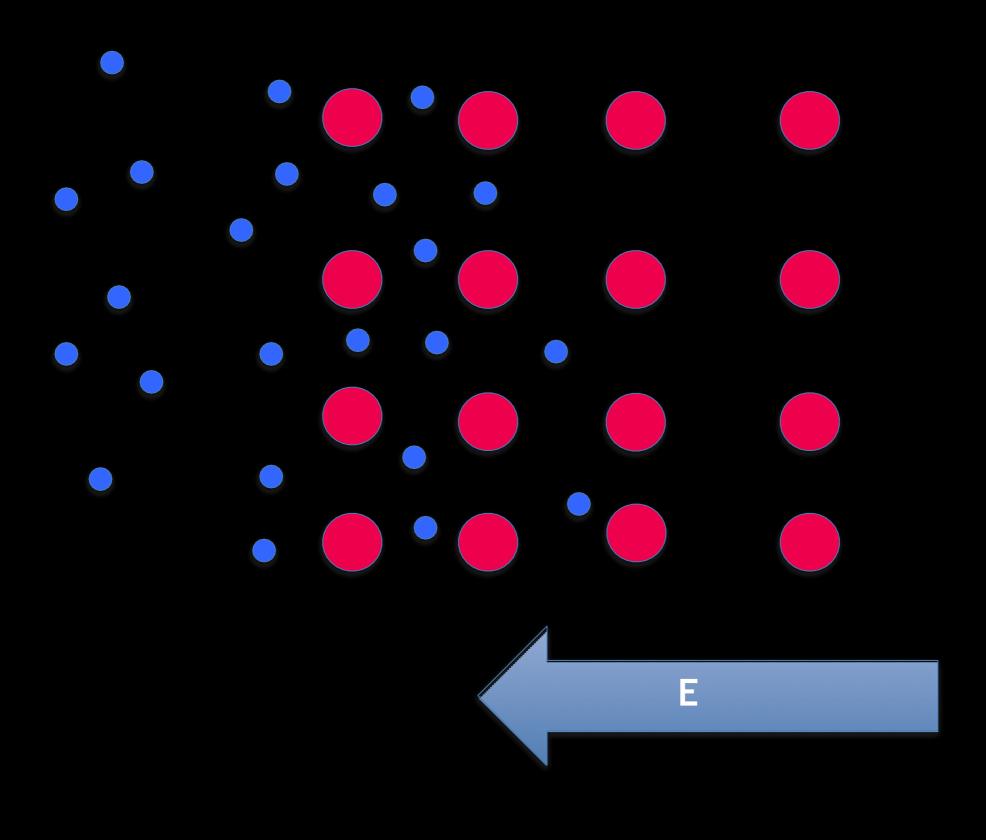
- Positive Ions
- Electrons



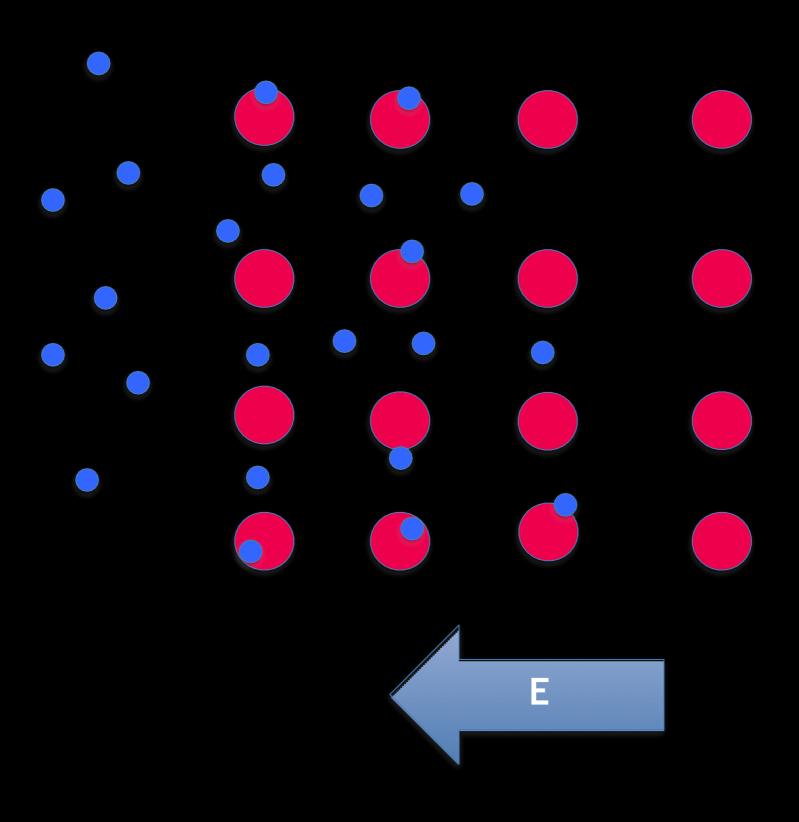
- Positive lons
- Electrons



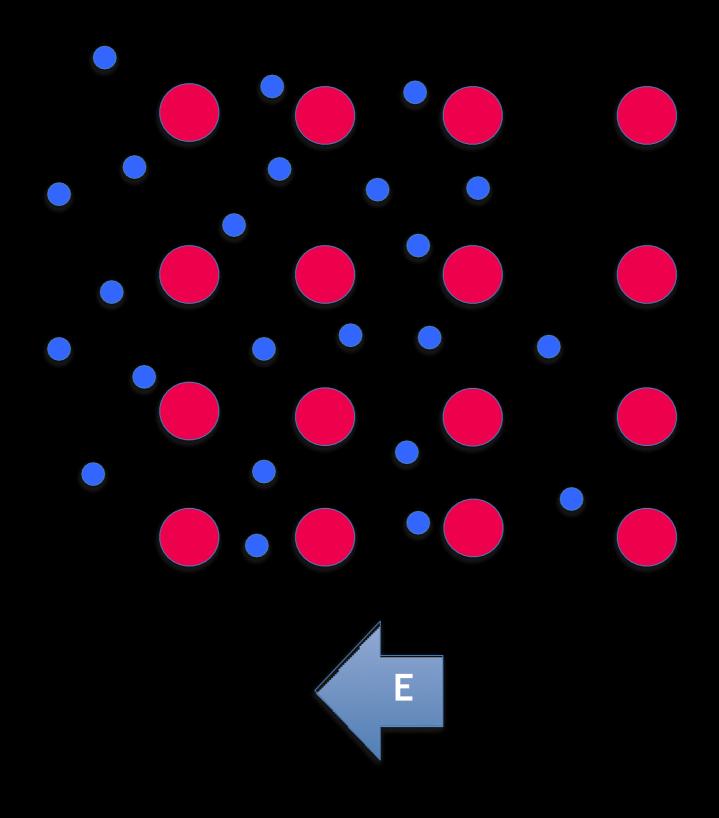
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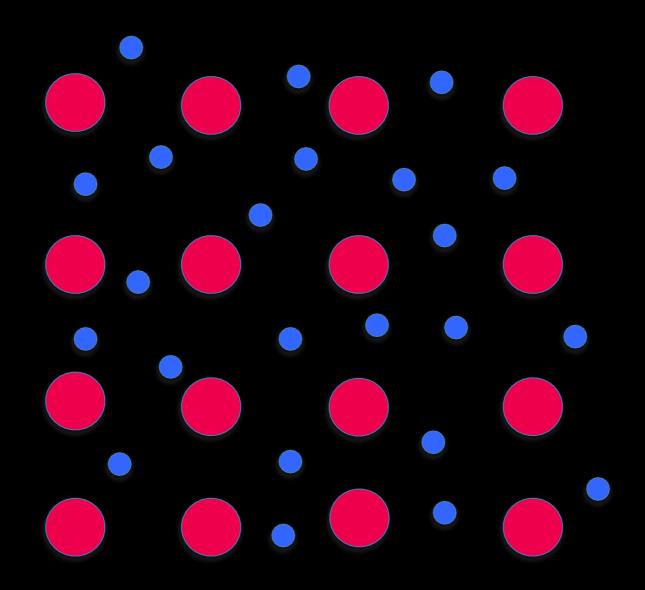
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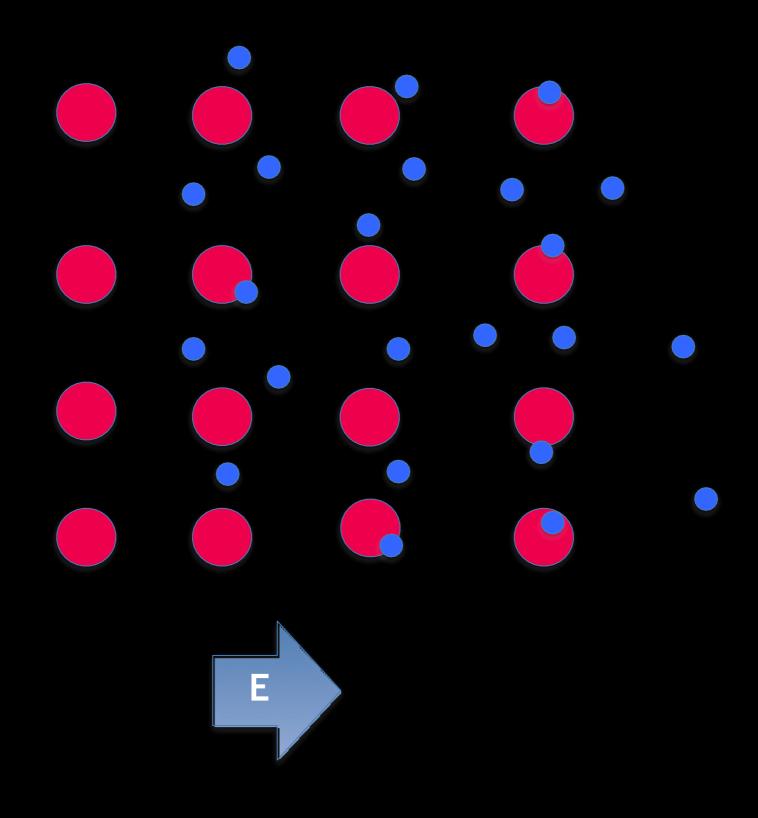
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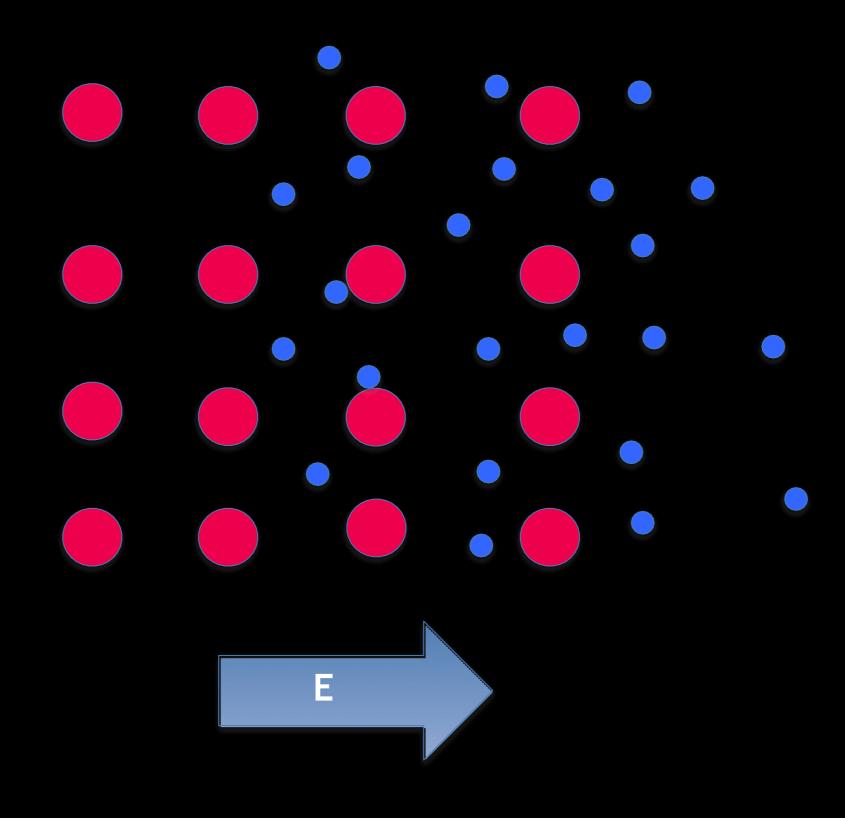
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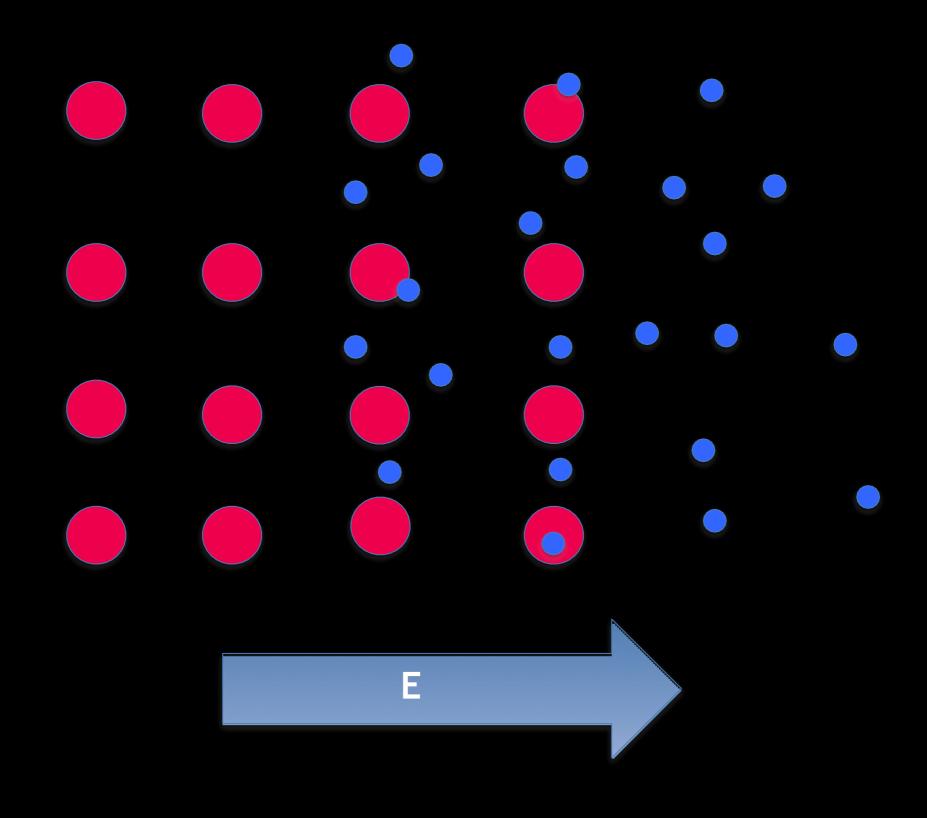
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- Electrons



- Positive Ions
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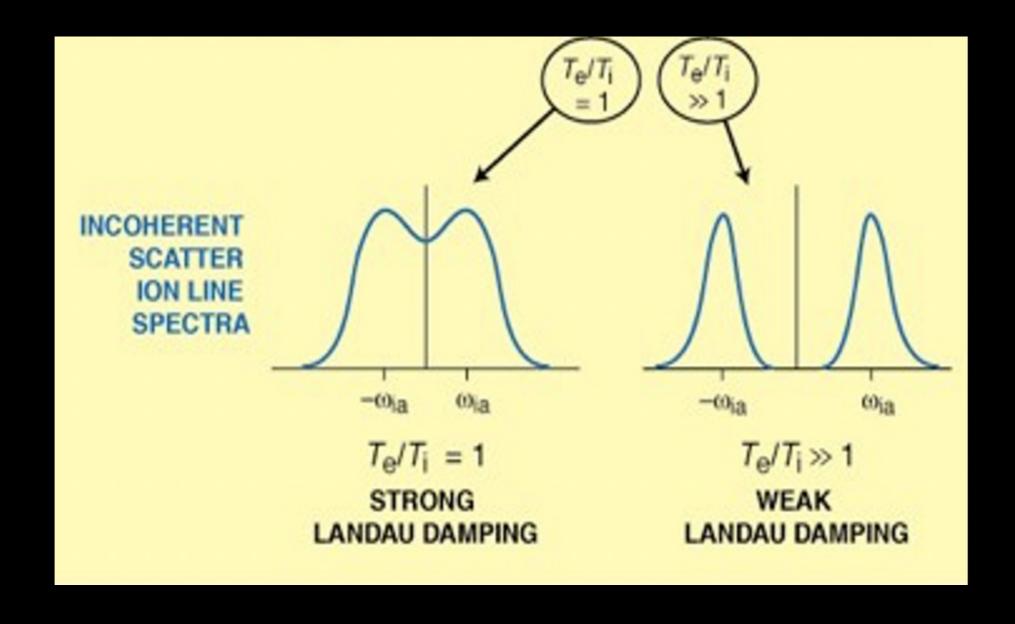


- Positive Ions
- Electrons

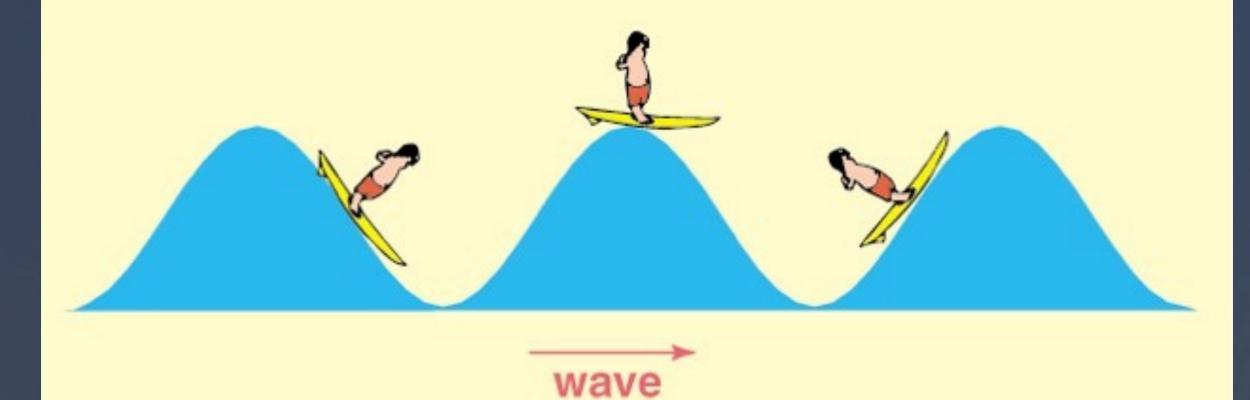


Positive Ions

Electrons

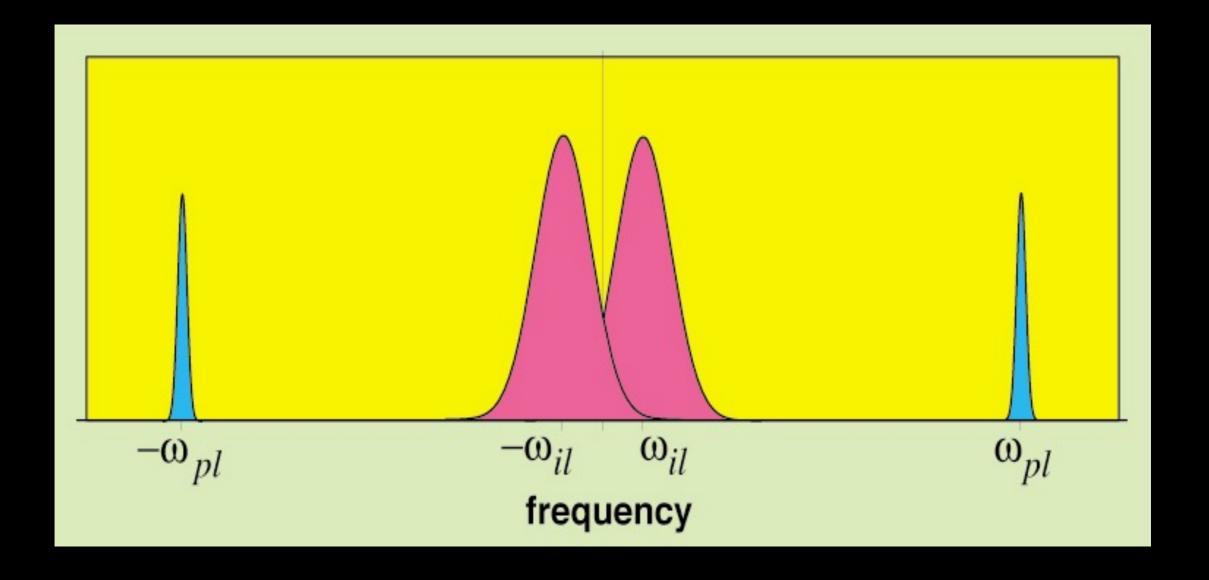


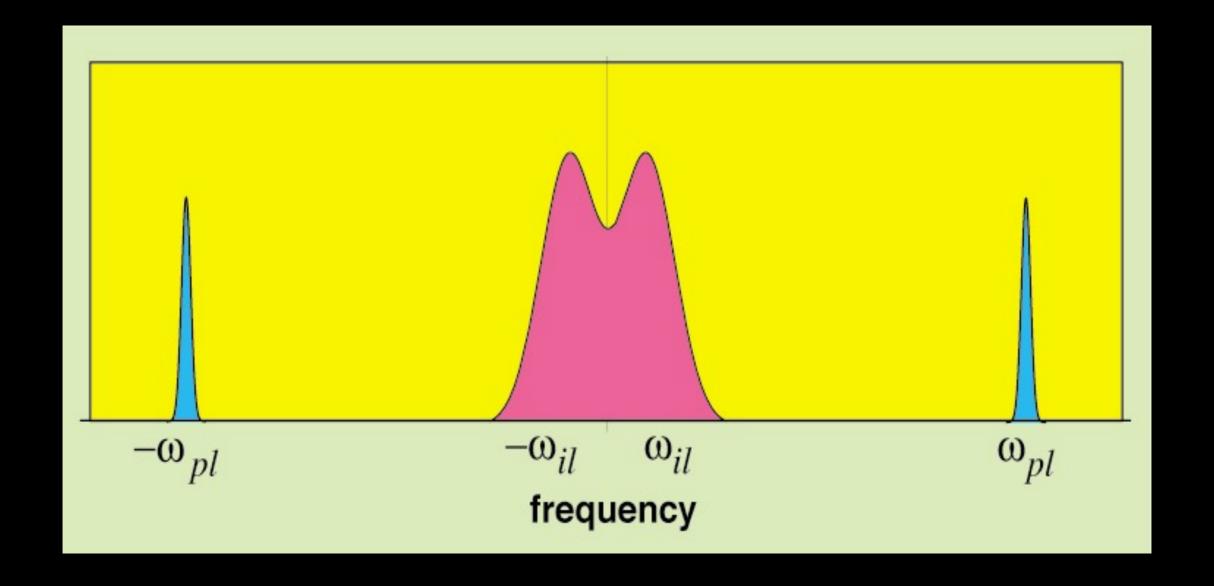
#### Landau wave-particle interactions

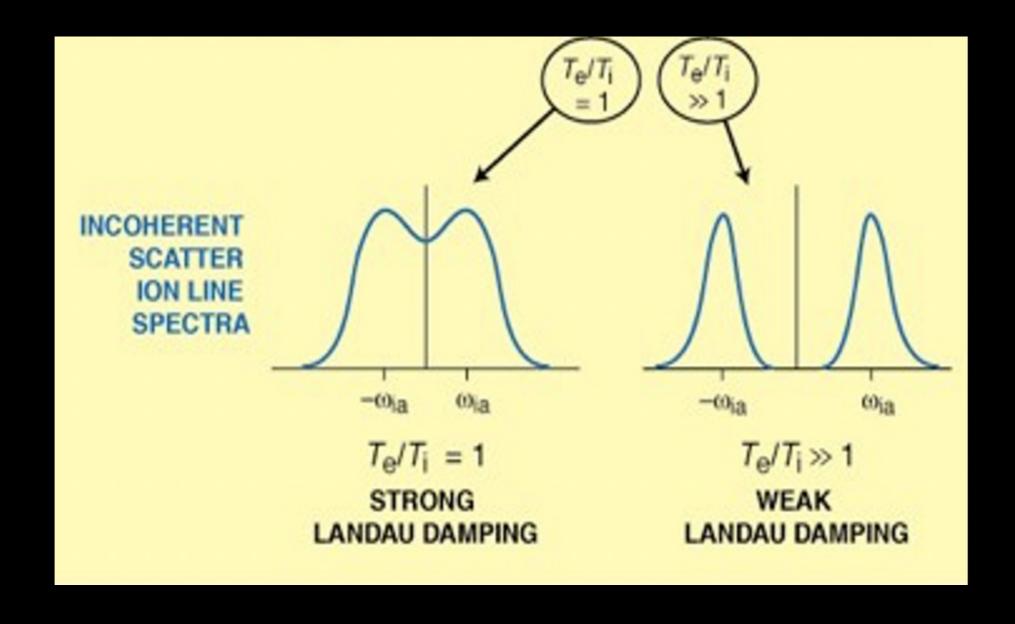


particle gains energy

wave gains energy



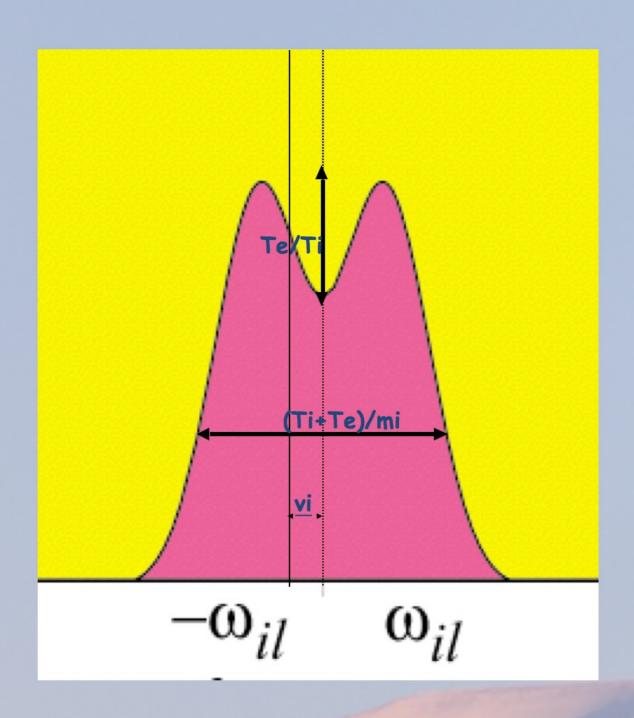




Ion Acoustic Wave

$$\omega_r = k \sqrt{\frac{k_B}{m_i} (T_e + \gamma_i T_i)} \qquad \gamma_i \approx 3$$
 $\omega_i = \text{Strong function of } \frac{T_e}{T_i}$ 

#### ...or to sum up...



- •Ion (and electron) temperature (Ti and Te) to ion mass (mi) ratio from the width of the spectra
- •Electron to ion temperature ratio (Te/Ti) from "peak\_to\_valley" ratio
- •Electron (= ion) density from total area (corrected for temperatures)
- •Ion velocity (vi) from the Doppler shift